Review Packet

You must show all work!!! (you can attach scratch work if necessary)

Equations

- 1. $\frac{8-6x}{2} = x$ 2. 9x 8 + 4x = 7x + 16
- 3. -2(x+3) = 4x 34. 3x - 10 = 2(4x - 5)

5.
$$2(x+4) - 5 = 2x + 3$$

6. $-2(x+2) = -2x + 1$

Solving for a Variable

7	C_{0} - C_{0	8. Solve $\frac{3+w}{2} = x$ for w
7.	Solve $2x + 3y = 12$ for x	8. Solve $- \lambda$ for w
		Z

Inequalities Solve and graph the following inequalities:

9.
$$\frac{3}{2}x \le -\frac{1}{2}x + 6$$
 10. $3 < 2x - 5(x + 3)$

•



11. Hanna has a savings account with a balance of \$210 and deposits \$16 per month. Faith has a savings account with a balance of \$175 and deposits \$20 per month. Write and solve an inequality to determine the number of months Hanna's account balance will be greater than Faith's account balance.

Functions

12. Is it a function? Explain.

х

-1

-2

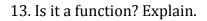
6

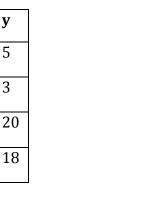
9

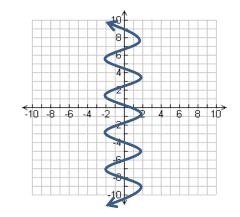
y

5

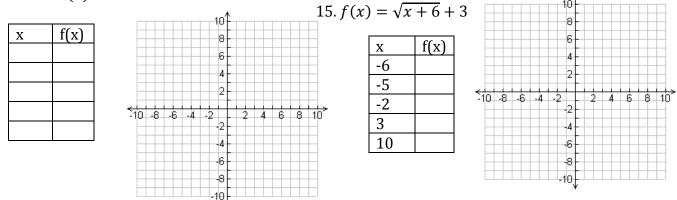
3



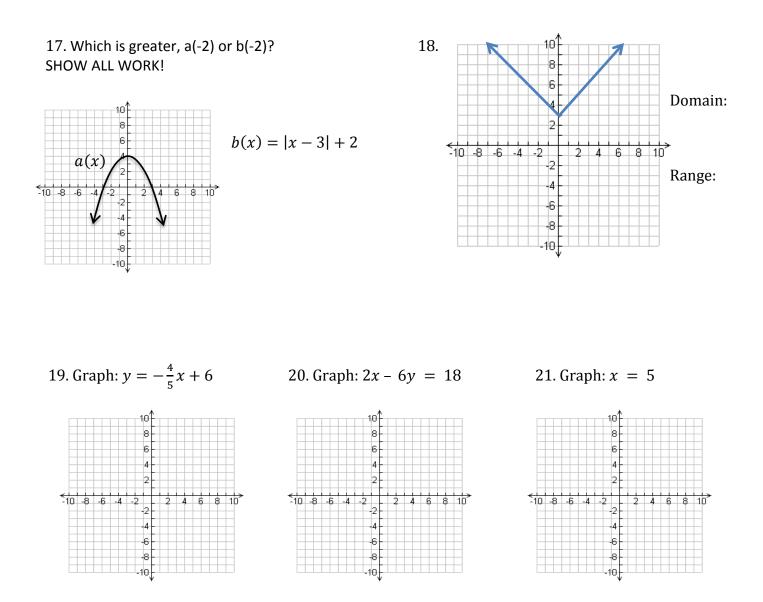




For 14 and 15, make a table of values and use these values to graph the function. 14. $b(x) = x^2 - 6$



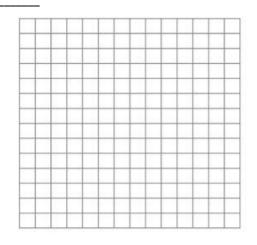
16. Let f(t) be the number of people, in millions, who own cellphones t years after 1990. Explain what f(10) = 100.3 means in terms of the situation.



21. Find the equation for the line in slope intercept form that passes through the points (7, 17) (3, 5)

22. The temperature at 6:00 AM is 35°F. Each hour, the temperature rises by 4°F.

a) Write an equation to represent the situation:



23. A swimming pool is being filled at a constant rate. The depth of the pool is a function of the number of minutes the pool has been filling, as shown in the table.

a. Write an equation in slope intercept form that represents the function.

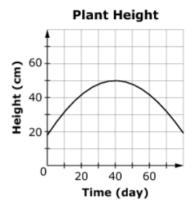
b. What does the slope represent in terms of the situation?

c. What does the y-intercept represent in terms of the situation?

24. The table shows the balance of a bank account on different days of the month. During which time interval did the balance decrease at the greatest rate?

Day	1	6	16	22	30
Balance(\$)	550	285	210	210	175

25. The height of a plant, in centimeters, is modeled as a function of time, in days.



Find the average rate of change for the height of the plant between day 0 and day 20.

Time(min)	Depth(ft)
4	5
8	7
16	11