

HW Answers: p.593,601,609

| p. 593 | p. 601 | p. 609 |
| :---: | :---: | :---: |
| 1) $141.4 \mathrm{in}^{3}$ | 5) $102.6 \mathrm{in}^{3}$ | 2) $904.8 \mathrm{yd}^{3}$ |
| 2) $103.4 \mathrm{~m}^{3}$ | 6) $15.9 \mathrm{~m}^{3}$ | 7) Volume is $268.1 \mathrm{in}^{3}$ |
| 3) 834.1 lb | 7) $1608.5 \mathrm{~cm}^{3}$ | 107.2 seconds |
| (If you rounded before multiplying by 59 , its 831.9 lb ) | 8) $1338.3 \mathrm{~cm}^{3}$ | 8) $658.5 \mathrm{ft}^{3}$ |
| 4) $2580.3 \mathrm{~cm}^{3}$ |  |  |

## ALEKS DURING ENRICHMENT:

| $\frac{\mathbf{1}^{\text {st }} \text { Period }}{}$ | $\frac{\mathbf{5}^{\text {th }} \text { Period }}{\text { Joseph Garces }}$ |
| :--- | :--- |$\quad$ Drew Bathon \(~\left(\begin{array}{ll}Cortez Gonzalez \& Ana Boero <br>

Nani Harvell \& Troy Chumley <br>
Connor Ickes -17 \& Makhyah Driver <br>
May McDaniel \& Jahogany Ezelle <br>
Hallie Pewitt \& Camryn Oliver <br>
Josh Robertson \& Brieanna Owens <br>
\& Caroline Price <br>
\& Alexandra Suche\end{array}\right.\)

## $6^{\text {th }}$ Period

Axel Gallagher
Salma Kailani
Viggo Pile
Jackson Powell
Aubrey Wurth
(All are 30 minutes)

## Volume of a sphere

The volume of a sphere is $2 / 3$ of the cylinder it "fits" in.

- $V($ sphere $)=\frac{2}{3}\left(\pi r^{2} \cdot h\right)$
- $V($ sphere $)=\frac{2}{3}\left(\pi r^{2} \cdot 2 r\right)$
- $V($ sphere $)=\frac{4}{3} \pi r^{3}$



## Spheres

Spheres:
$\circ V=\frac{4}{3} \pi r^{3}$


## Prisms

Prisms have TWO bases that are connected by flat sides all around.


Prisms: $\quad$ Volume $=($ Area of base) $x$ height

- Rectangular Prism: $\quad V=(l w) \cdot h$
- Triangular Prism:
$\boldsymbol{V}=\left(\frac{1}{2} \boldsymbol{b} \boldsymbol{h}\right) \cdot \boldsymbol{h}$
$V=\left(\pi r^{2}\right) \cdot h$


## Pyramids/Cones

Pyramids \& Cones have ONE base, and come to a point at the top.
3 pyramids $=1$ prism. 3 cones $=1$ cylinder.


## FORMULAS REVIEW

$$
\begin{array}{|ll|}
\hline \text { Cones/Pyramids: Volume }=\frac{1}{3} \cdot(\text { Area of base }) \cdot \text { height } \\
\hline \text { - Rectangular Pyramid: } \quad V=\frac{1}{3} \cdot(l w) \cdot h \\
\text { - Cone } \quad V=\frac{1}{3} \cdot\left(\pi r^{2}\right) \cdot h
\end{array}
$$

Find the area of the shaded region.
One winter, Mr. Rogers built a birdhouse in his backyard. Mr. Rogers finished the main part of the birdhouse before it began to snow, but not the roof. The main part of the birdhouse is a right circular cylinder with a inner diameter of 6 inches and a height of 12 inches.


$$
V=\pi \cdot 3^{2} \cdot 12
$$

Diameter of big circle $=14$, radius $=7$

$$
V \approx 339
$$

Diameter of small circle $=8$, radius $=4$
$A=\pi(7)^{2}-\pi(4)^{2}$
$A=49 \pi-16 \pi$
$A=33 \pi$ (exact)
$A \approx 103.7$ in $^{2}$ (rounded)

If the snow completely filled the main part of the birdhouse, what would be the approximate volume, in cubic inches, of the snow? (Round your answer to the nearest whole number.)
A 226
( 283
c 339

- 1357


Find the volume of the figure. Leave your answer as an exact answer (leave $\pi$ in it)


## Working backwards...

- Find the height of the cylinder.


## Working backwards...



Homework

- Volume Worksheet

