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## Geometry Review

## You must label the vertices of your image! All rotations are around the origin.

1) $(x, y) \rightarrow(x+7, y-5)$


2) A triangle was rotated $90^{\circ}$ clockwise, and the image is shown below. Draw the original figure.

3) What steps would take the preimage to the image?

4) Rotate $180^{\circ}$

5) Reflect across $y$-axis, then across $y=x$

6) A triangle was rotated $270^{\circ}$ counterclockwise, then translated two units down. Then it was rotated $90^{\circ}$ clockwise and translated two units up. The image is shown. Draw the original. figure.


## Which transformations would map the

${ }^{8)}$ rectangle onto itself? Select all that apply.

A. Reflection across the $x$-axis
B. Reflection across the $y$-axis
C. Reflection across the line $x=1$
D. Reflection across the line $y=1$
E. $180^{\circ}$ rotation around the origin
F. $180^{\circ}$ rotation around $(0,1)$
G. $360^{\circ}$ rotation around the origin
H. Translation 4 units up, then a reflection across the line $y=3$
I. Translation 1 unit down, then a reflection across the $x$-axis
J. $180^{\circ}$ rotation around the origin, then a translation of 2 units up.

Each sequence of transformations maps trapezoid $\mathbf{A}$ ${ }^{9)}$ onto trapezoid B. Fill in the blanks.
a) Reflection across the $x$-axis followed by the translation ( $\mathrm{x}, \mathrm{y}$ ) $\rightarrow$ $\qquad$
b) $180^{\circ}$ rotation around the origin followed by the translation $(\mathrm{x}, \mathrm{y}) \rightarrow$
c) $180^{\circ}$ rotation around the point $(-3,5)$ followed by the translation $(\mathrm{x}, \mathrm{y}) \rightarrow$
d) Reflection across the line $\qquad$ followed by a translation of 9 units to the right
e) Reflection across the line $\qquad$ followed by a reflection across the line $\qquad$

Give the smallest degree of rotation so that the figure maps onto itself. Each figure is regular.
10)

11)

12) $F O U R$ is a parallelogram. Find $F R$.


Give the most specific name for each quadrilateral given only the information shown.
13)

14)


16) Challenge: Find all lines
of symmetry. Write the equation for each line in slope-intercept form.


