## SEL LESSON:

"Learn Like a Jungle Tiger"


## PLAN FOR THIS WEEK

Today: More linear/nonlinear
Tomorrow: Review Functions
Wednesday: Functions Quiz

Thursday/Friday: Start Linear Functions Unit

EXTREMELY IMPORTANT PATTERN:

- If your outputs increase by a certain number, that is the "multiplying" number in the equation.
- Outputs increase by $4 \rightarrow$ Rule has a " $4 x$ "
- Outputs decrease by $2 \rightarrow$ Rule has a" $-2 x$ "
- NOTE:This only works if your inputs are consecutive numbers.

So, how does this help me with
"guess my rule???"

- Guess consecutive numbers!!!


## Can you get these rules???

I)

| $x$ | $a(x)$ |  |
| :--- | :--- | :--- |
| 1 | 4 | $a(x)=3 x+1$ |
| 2 | 7 |  |
| 3 | 10 |  |
| 4 | 13 |  |
| 5 | 16 |  |

3) 

| $x$ | $c(x)$ |
| :--- | :--- |
| -2 | -7 |
| -1 | -5 |
| 0 | -3 |
| 1 | -1 |
| 2 | 1 |

## $c(x)=2 x-$

2) $x \quad b(x)$

$b(x)=5 x-10$ | 25 |
| :--- |
| 30 | | 4) | $x$ | $d(x)$ |
| :--- | :--- | :--- |
| 0 | 10 |  |
|  | $d(x)=-4 x+10$ |  |
| 1 | 6 |  |
| 2 | 2 |  |
| 3 | -2 |  |
| 4 | -6 |  |

## One more...

| X | f(x) | - The "trick" does not work here, because the outputs do not increase by a constant amount. |
| :---: | :---: | :---: |
| 1 | 3 |  |
| 2 | 6 |  |
| 3 | 11 | - Tables like this have different types of equations that are NOT "times something plus or minus something" |
| 4 | 18 |  |
| 5 | 27 |  |
|  |  | - Let's investigate a little further... |

## NOTICE:

- \#3 had a " $\frac{1}{2} x$ " in the rule. And the inputs increase by $1 / 2$.
- \#5 had a "-3x" in the rule. And the inputs decrease by -3 .


## EXTREMELY IMPORTANT PATTERN:

- If your outputs increase by a certain number, that is the "multiplying" number in the equation.

Outputs increase by $4 \rightarrow$ Rule has a " 4 x "
Outputs decrease by $2 \rightarrow$ Rule has a " $-2 x$ "

- NOTE:This only works if your inputs are consecutive numbers.
- ***If this happens, your graph will be a straight line!!!***


## Look at the rest of the graphs...

- Look at the graphs that turned out to be
- Let's explore what the graphs of straight lines, and the ones that were different functions look like... NOT straight lines.
- What was different about the equations that were not linear?
- What was different about the numbers in the table?


Linear or Nonlinear?

$$
f(x)=4 x+3
$$

## Linear

Linear or Nonlinear?

$$
f(x)=\frac{x}{5}+4
$$

## IMPORTANT:

- Diagonal lines ARE considered "straight lines!!!"
- Straight:

- Also straight:

Linear or Nonlinear?

$$
\begin{gathered}
f(x)=x^{2}-4 \\
\text { Nonlinear }
\end{gathered}
$$

Linear or Nonlinear?

$$
f(x)=\frac{6}{x}-2
$$

Nonlinear

Linear or Nonlinear?

$$
f(x)=x^{3}+4 x-3
$$

Linear or Nonlinear?

$$
f(x)=100-x
$$

Linear

Linear or Nonlinear?

$$
f(x)=-\frac{3}{4} x+\frac{1}{7}
$$

## Linear

Linear or Nonlinear?

$$
f(x)=4 \sqrt{x}-3
$$

## Nonlinear

Linear or Nonlinear?

$$
f(x)=|2 x+10|
$$

Nonlinear

Linear or Nonlinear?

$$
f(x)=6
$$

## Linear

Linear or Nonlinear?

$$
\begin{gathered}
6-\frac{3}{4} x=f(x) \\
\text { Linear }
\end{gathered}
$$

Linear or Nonlinear?

$$
f(x)=(4 x-3)^{2}
$$

Nonlinear

Linear or Nonlinear?

$$
f(x)=2 x^{3}-\sqrt{x}+|x-4|+\frac{3}{x}
$$

## Nonlinear

Linear or Nonlinear?

$$
y=3 x+\sqrt{2}
$$

Linear or Nonlinear?

$$
y=x(x-4)
$$

Nonlinear
(it will be $y=x^{2}-4 x$ )

## Summarizing everything so far...

- Any equation with something like a " $5 x$ " will have outputs that increase by 5 .
- This will also cause the graph to be a straight line (linear).
- Things like exponents, square roots, and absolute value make the outputs NOT have a constant increase.
- These graphs will NOT be a straight line.



## KEY FEATURES OF GRAPHS

Increasing: Where the $y$-values go up (from left to right)
Decreasing: Where the $y$-values go down (from left to right)
X-intercept: Where the graph crosses the $x$-axis
Y-intercept: Where the graph crosses the $y$-axis
Slope: How steep the graph is
***ALWAYS READ A GRAPH FROM LEFT TO RIGHT!!!***

## KEY FEATURES?



## KEY FEATURES?



Increasing/decreasing?
Always increasing
X-intercept?
-8
Y-intercept?
6
Describe the slope
The slope is not constant.
Above and beyond answer:
the slope starts out very
steep, then gets gradually less steep

## KEY FEATURES?

Increasing/decreasing?
Increasing, then decreasing, then increasing, then decreasing, etc. X-intercept?
$-2 \pi,-\pi, 0, \pi, 2 \pi$
Y-intercept?
0
Describe the slope.
The slope is not constant.



## CHOOSE THE GRAPH THAT IS:

Decreasing, then increasing, then decreasing
Has an x-intercept of 4


| DRAW A GRAPH WITH |
| :--- |
| THE FOLLOWING |
| CHARACTERISTICS: |
| x and y-intercepts are both zero |
| Always decreasing |
| Slope doesn't change |
|  |
|  |

## DRAW A GRAPH WITH <br> THE FOLLOWING CHARACTERISTICS:

## Always increasing

The slope changes

## IS THIS POSSIBLE?

Draw a graph that is increasing, where the x -and y -intercept are both 5 .

To connect these two points,


## WHICH OF THESE ARE POSSIBLE?

A) A graph that is increasing only, which has an $x$-intercept of -4 and a y-intercept of 6 .
B) A graph that is increasing, then decreasing, has $x$ intercepts of 5 and -5, and a y-intercept of -9.
C) A graph that is increasing, then decreasing, then increasing again, that has $x$-intercepts of $-8,2$, and 7 , and ay-intercept of 4.
D) A graph that is decreasing, then increasing, that does not have an x-intercept.

All are possible except (B)

## HOMEWORK: KEY

FEATURES WORKSHEET

