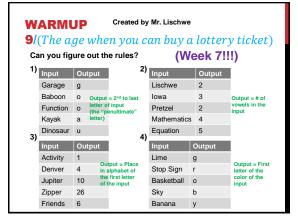
SEL LESSON:

"Learn Like a Jungle Tiger"



PLAN FOR THIS WEEK

Today: More linear/nonlinear Tomorrow: Review Functions Wednesday: Functions Quiz

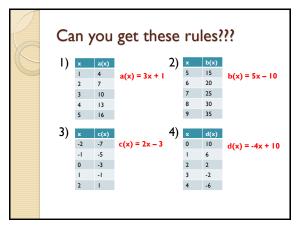
Thursday/Friday: Start Linear Functions Unit

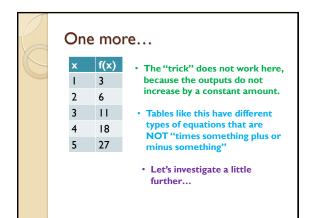
EXTREMELY IMPORTANT PATTERN:

- If your outputs increase by a certain number, that is the "multiplying" number in the equation.
 - $\circ\,$ Outputs increase by 4 \rightarrow Rule has a "4x"
 - $\circ\,$ Outputs decrease by 2 $\rightarrow\,$ Rule has a ''-2x''
- NOTE: This only works if your <u>inputs</u> are consecutive numbers.

So, how does this help me with "guess my rule???"

• Guess consecutive numbers!!!





Look at #1 on your Graphing Functions Sheet...

- Would our "trick" work for this one?
- The outputs are increasing by 2. And the equation has a "2x!"
- Based on the table, does it make sense why this graph would be a straight line?

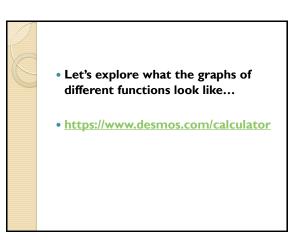
NOTICE:

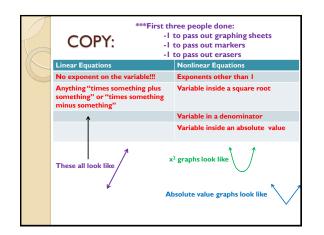
- #3 had a " $\frac{1}{2}x$ " in the rule. And the inputs increase by $\frac{1}{2}$.
- #5 had a "-3x" in the rule. And the inputs decrease by -3.

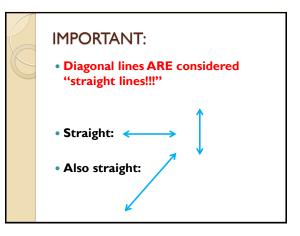
EXTREMELY IMPORTANT PATTERN:

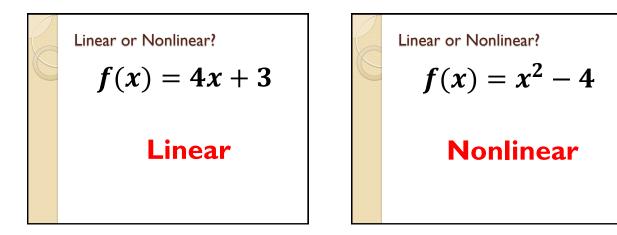
- If your outputs increase by a certain number, that is the "multiplying" number in the equation.
 - Outputs increase by 4 → Rule has a "4x"
 Outputs decrease by 2 → Rule has a "-2x"
 - Outputs decrease by 2 7 Rule has a -2x
- NOTE: This only works if your <u>inputs</u> are consecutive numbers.
- ***If this happens, your graph will be a straight line!!!***

Look at the rest of the graphs... Look at the graphs that turned out to be straight lines, and the ones that were NOT straight lines. What was different about the equations that were not linear? What was different about the numbers in the table?





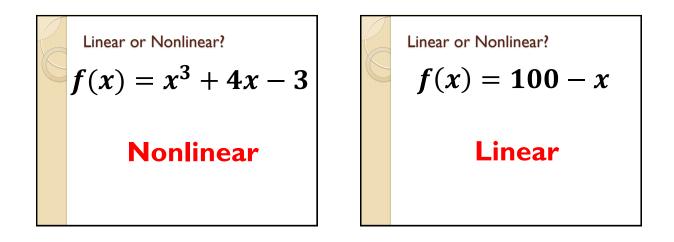


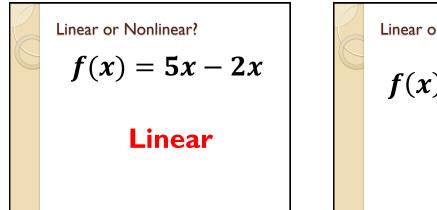


Linear or Nonlinear?
$$f(x) = \frac{x}{5} + 4$$
Linear

Linear or Nonlinear?
$$f(x) = \frac{6}{x} - 2$$

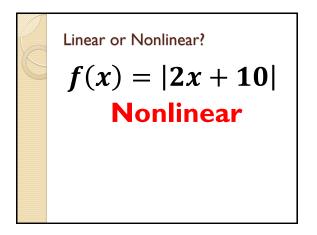
Nonlinear

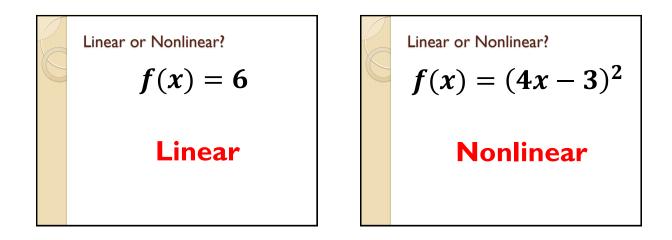


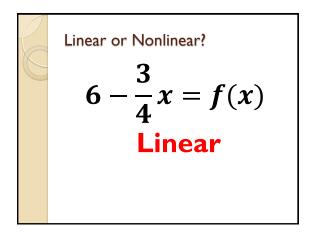


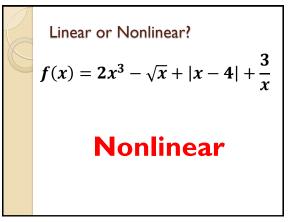
Linear or Nonlinear?
$$f(x) = -\frac{3}{4}x + \frac{1}{7}$$
Linear

Linear or Nonlinear?
$$f(x) = 4\sqrt{x} - 3$$
Nonlinear



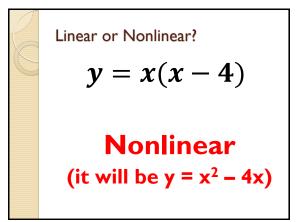






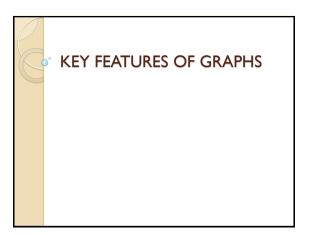
Linear or Nonlinear?
$$y = 3x + \sqrt{2}$$

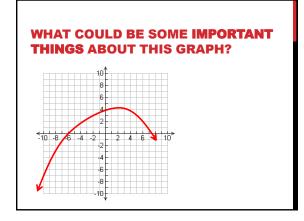
Linear



Summarizing everything so far...

- Any equation with something like a "5x" will have outputs that increase by 5.
- This will also cause the graph to be a straight line (linear).
- Things like exponents, square roots, and absolute value make the outputs NOT have a constant increase.
- These graphs will NOT be a straight line.

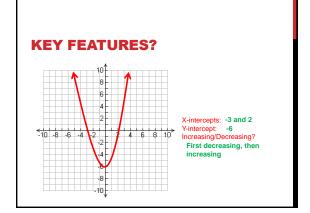


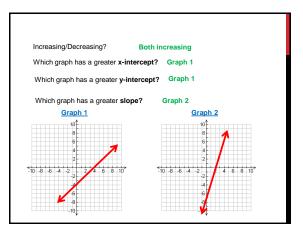


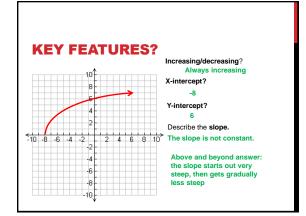
KEY FEATURES OF GRAPHS

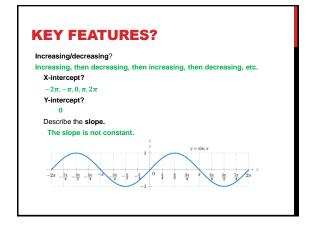
Increasing: Where the y-values go up (from left to right) <u>Decreasing:</u> Where the y-values go down (from left to right) <u>X-intercept:</u> Where the graph crosses the x-axis <u>Y-intercept:</u> Where the graph crosses the y-axis <u>Slope:</u> How steep the graph is

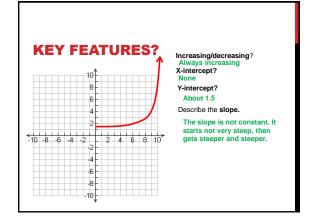
ALWAYS READ A GRAPH FROM LEFT TO RIGHT!!!

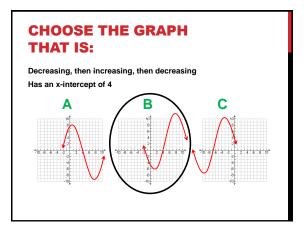












DRAW A GRAPH WITH THE FOLLOWING CHARACTERISTICS:

x and y-intercepts are both zero

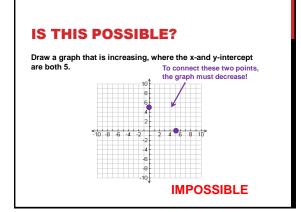
Always decreasing

Slope doesn't change

DRAW A GRAPH WITH THE FOLLOWING CHARACTERISTICS:

Always increasing

The slope changes



WHICH OF THESE ARE POSSIBLE?

- A) A graph that is increasing only, which has an x-intercept of -4 and a y-intercept of 6.
- B) A graph that is increasing, then decreasing, has xintercepts of 5 and -5, and a y-intercept of -9.
- C) A graph that is increasing, then decreasing, then increasing again, that has x-intercepts of -8, 2, and 7, and a y-intercept of 4.
- D) A graph that is decreasing, then increasing, that does not have an x-intercept.

All are possible except (B)

HOMEWORK: KEY FEATURES WORKSHEET