Warmup 8 / (Solution of $\frac{1}{11}x = 2$)

 A number that has a square root that is a whole number is called a perfect square.

2. Estimate the square root of 2.

$\sqrt{2} \approx 1.414$

(This is a well-known value. This one and $\sqrt{3} \approx 1.732$ are the only ones I have memorized myself)

Warmup (continued)

3) There are two numbers between 0 and 100 that are both a **perfect square** and a **perfect cube**. What are they???

Purple Chair Reward

- I will select one random person that person gets to sit in the purple chair all week!
- To be eligible, you need to have done ALL your homework the previous week, or not been penalized for forgetting materials or talking, etc.
- You are responsible for getting the chair and returning it to its spot by my desk each period.
- If you did not win the purple chair, you may not sit in it!!!

Returning the quizzes

- Your quizzes will go in your summatives folder.
- These will be alphabetized in the crate you can go back and look at your quizzes and do corrections for retakes.

• 3/9 simplifies

- #8 imagining long division is fine but I prefer reasoning with the numbers
- Was picky about explanation for 9 "0.15 is too low"...how do you know?
- It

Consecutive sums bonus task

• A few different strategies I saw...









Plan for this week MONDAY: Last day of roots TUESDAY: Rational vs. Irrational WEDNESDAY: Rational vs. Irrational THURSDAY: Review FRIDAY: Unit 1 Test (Covers last week and this week)



Making our square root estimates more exact

- How can you CHECK an estimate?
- To check an estimate, multiply it back out to see how close it is.
- •√52
- 7.3 · 7.3 = 53.29 (too high)
- $7.2 \cdot 7.2 = 51.84$ (too low)
- 7.2 was closer , so 7.2 is the best estimate to the nearest tenth.

• F tł	• Find each square root. Your estimate MUST be accurate to the nearest tenth .		
1.	√22	4.7	
2.	<u>√83</u>	9.1	
3.	$\sqrt{129}$	11.4	

Challenge

- Find the square root. Your answer must be accurate **to the nearest hundredth.**
- $\sqrt{18}$ 4.2 · 4.2 = 17.64 (too low) 4.3 · 4.3 = 18.49 (too high) 4.25 · 4.25 = 18.0625 (too high) 4.24 · 4.24 = 17.9776 (too low) 17.9776 is closer to 18 than 18.0625. Therefore, 4.24 is the best estimate.

Using roots to solve equations

The way to solve equations is to use <u>inverse</u> <u>operations.</u>

SOLVE: x + 8 = 12

SOLVE: x - 3 = 27

SOLVE: 4x = 32



$$x^2 = 64$$

What is the inverse of "squaring"?

 $\sqrt{x^2} = \sqrt{64}$ Would positive 8 AND negative 8 both work? So you should do $\sqrt{x^2} = \pm \sqrt{64}$ x = 8, -8 • Solve: $x^3 = 27$

• Would the positive <u>and</u> negative root both work?

$\sqrt[3]{x^3} = \sqrt[3]{27}$ x = 3

Solving x^2 and x^3 equations 1. $x^2 = 196$ x = 14, -14

2. $x^3 = 125$ x = 5

3. $x^3 = -64$ x = -4

4. $x^2 = -289$ no solution

IMPORTANT: Be sure to check the positive <u>and</u> the negative root!

What if it's not a perfect square?

Solve each equation. Write both an <u>exact answer</u> and an estimate <u>rounded to the nearest tenth</u>.

5. $x^2 = 40$

ROUNDED ANSWER: $x \approx \pm 6.3$ EXACT ANSWER: $x = \pm \sqrt{40}$ How about...

$$\sqrt{x} = 16$$

HOMEWORK: Least to Greatest

- Comparing numbers in different forms
- You do **NOT** have to get the exact answers of everything!!! You should try to "reason it out" first.
- For example: $\frac{1}{8}, \frac{1}{7}, \frac{4}{21}$