

Warmup 1 / $\left(\frac{15^{47}}{15^{46}}\right)$

Write an equation in slope-intercept form that gives the height of the plant (y) after "x" weeks.

- 1) A cactus plant is originally 2 cm tall, and grows $\frac{1}{2}$ cm per week.

$$y = \frac{1}{2}x + 2$$

- 2) A fern grows 3 cm per week, and is 14 cm tall after 2 weeks.

$$y = 3x + 8$$

$\frac{-6}{8}$ cm originally

- 3) A jade plant was originally 10 cm tall, and was 20 cm tall after 4 weeks.

$$y = 2.5x + 10$$

grew 10 cm in 4 weeks

$$\frac{10}{4} = 2.5$$

Who can explain the date problem???

- $1 / \left(\frac{15^{47}}{15^{46}} \right) = 15^1 = 15$

- If I take 2^{30} and **double** it, what do I get?
Write your answer as a power.

$$2^{30} \cdot 2 = 2^{31}$$

p. 27 (1-6, 8, 14-20)

1) $(-6)^7$

2) $-24a^{10}$

3) $-35a^5b^5c^5$

4) 8^2 (or 64)

5) $2t^3$

6) x^2y^5

8) $4^1 \cdot 5^1 \cdot 6^1$ or 120

14) 2

15) 9

16) 4

17) 6

18) 5

19) 7

20) Answers vary.

Example: $5^{10} \cdot 5^3$

Let's review...

- Why is $2^7 \cdot 2^3$ NOT equal to 2^{21} even though this is a multiplication problem?
- Why is $\frac{2^{12}}{2^4}$ NOT equal to 2^3 even though this is a division problem?
- ***If you understand WHY a rule works, you are WAY more likely to remember it better!***

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Power to a Power

Objective:

Simplify expressions like $(x^5)^3$

CHALLENGE

- We are going to learn a new exponent rule today.
- Once again, I am not going to tell you the rule right away. I want to see if you can figure it out.
- I am going to display a bunch of problems on the board. Try to figure out how to do these problems. Then use them to figure out the rule for taking a power to a power.

Can you figure out how these would work?

$$(x^3)^4$$

$$(a^5)^2$$

$$(3y^4)^2$$

$$\left(\frac{b^2}{c^3}\right)^4$$

After you solve these, come up with some **rules** that you discover about how to take a power to a power.

2 ways to show $(a^5)^2$

Way 1

$$\begin{aligned}(a^5)^2 \\&= (a^5)(a^5) \\&= a^{10}\end{aligned}$$

Way 2

$$\begin{aligned}(a^5)^2 \\&= (a \cdot a \cdot a \cdot a \cdot a)^2 \\&= (a \cdot a \cdot a \cdot a \cdot a)(a \cdot a \cdot a \cdot a \cdot a) \\&= a^{10}\end{aligned}$$

Taking a Power to a Power (Problems like $(a^5)^2$)

- Keep the base, multiply the exponents

What if there's a coefficient?

$$(3y^4)^2$$

Predictions?

$$= 3y^4 \cdot 3y^4$$

$$= 3 \cdot y \cdot y \cdot y \cdot y \cdot 3 \cdot y \cdot y \cdot y \cdot y$$

$$= 9y^8$$

What did we learn?

The coefficient goes to the power outside the parentheses, just like any normal number.

Taking a Power to a Power

- Keep the base, multiply the exponents

*****TREAT COEFFICIENTS AS A NORMAL NUMBERS. TAKE THEM TO THE POWER OF THE EXPONENT!!!*****

(The “pretend the variables aren’t there” strategy)

- $5p^4$

This coefficient is NOT connected to the 4 exponent

- $(5q^2)^4$

This coefficient IS connected to the 4 exponent

But the 5 is NOT connected to the 2 exponent

Examples

$$1. \quad (x^2)^5 = (x^2) \cdot (x^2) \cdot (x^2) \cdot (x^2) \cdot (x^2) = x^{10}$$

$$2. \quad (a^4b)^2 = (a^4b) \cdot (a^4b) = a^8b^2$$

$$3. \quad (2m^3)^4 = (2m^3) \cdot (2m^3) \cdot (2m^3) \cdot (2m^3) \\ = (2 \cdot m \cdot m \cdot m) \cdot (2 \cdot m \cdot m \cdot m) \cdot (2 \cdot m \cdot m \cdot m) \cdot (2 \cdot m \cdot m \cdot m) \\ = 16m^{12}$$

$$4. \quad \left(\frac{5g^{50}}{6h^{30}}\right)^2 = \left(\frac{5g^{50}}{6h^{30}}\right)^2 = \frac{25g^{100}}{36h^{60}}$$

Once again...

- **WHEN IN DOUBT, EXPAND IT OUT!!!**

EXIT TICKET

- Do these on a notecard. You may not get help from me, your classmates, or your notes.

1) $8x^4 \cdot 4x^8$

2) $\frac{16y^7}{8y}$

3) $(3z^5)^3$

Homework

Textbook p. 35 (2-10 even, 14, 20, 21, 22)