Created by Mr. Lischwe
Warmup 1/(Michael Jordan's Number)

1. How many degrees is a three-quarter turn? (Three-quarters of a full revolution)
2. When reflecting a figure across a line of reflection, is it ever possible for a point to be reflected onto itself? Explain using diagrams.

PLEASE GET:

- Ruler
- Protractor
- One sheet of Patty Paper

Back to your notes sheet from Friday...

## Reflecting across the line $y=x$


Back to your notes sheet from Friday...

## p. 851 (1-16) will be graded

 tomorrow- (Yes, I am adding 13-16 now)


## Special types of reflections...

- These reflections are very common:
- Reflect across the x-axis
- Reflect across the y-axis
- Reflect across the line $y=x$
- Reflect across the line $y=-x$
- Let's look at each one a little more closely.


## Reflecting across the line $y=x$

- When you reflect across the line $y=x$, you are performing this transformation:

$$
\square(\mathbf{x}, \mathbf{y}) \rightarrow(\mathbf{y}, \mathbf{x})
$$

## Reflecting across the line $y=-x$



## Chart on pg. 846

| Rules for Reflections on a Coordinate Plane |  |
| :--- | :--- |
| Reflection across the $x$-axis | $(x, y) \rightarrow(x,-y)$ |
| Reflection across the $y$-axis | $(x, y) \rightarrow(-x, y)$ |
| Reflection across the line $y=x$ | $(x, y) \rightarrow(y, x)$ |
| Reflection across the line $y=-x$ | $(x, y) \rightarrow(-y,-x)$ |

***THESE SHOULD NOT BE THE MAIN WAY YOU DO REFLECTIONS. YOU WILL BE MUCH MORE SUCCESSFULIF YOU UNDERSTAND THEM VISUALLY FIRST AND FOREMOST ${ }^{* * *}$

Reflecting across the line $y=-x$

- When you reflect across the line $y=-x$, you are performing this transformation:

$$
{ }^{\circ}(x, y) \rightarrow(-y,-x)
$$

Now try:



Finding the line of reflection

Who thinks they can draw it???


- To find the line of reflection, find the midpoint of each connecting line. Then connect these midpoints.
- You can always use the midpoint formula to find the midpoints (like in p. 847 Example A), but a lot of times you will be able to find the midpoint by counting squares.





Real-World Application That Will Allow You To Be Really Good At Mini-Golf Or Pool Or Anything Else Where You Have To Bounce A Ball Off A Wall

## Explain 4 Applying Reflections

## Example 4

The figure shows one hole of a miniature golf course. It is not possible to hit the ball in a straight line from the tee $T$ to the hole $H$. At what point should a player aim in order to make a hole in one?



## YOU TRY: p. 850 (15)

15. Cara is playing pool. She wants to use the cue ball $C$ to hit the ball at
point $A$ without hitting the ball at point $B$. To do so, she has to bounce the
cue ball off the side rail and into the ball at point $A$. Find the coordinates
of the exact point along the side rail that Cara should aim for.


Reflect point $C$ across the side rail to locate $C$. The coordinates of $C^{\prime}$ are $(-3,-2)$. Locate
point $X$ where $\overline{A C}$ intersects the side rail. The coordinates of point $X$ are $(-1,-1)$. Cara should aim for the point $(-1,-1)$ along the side rail.


## Finding the angle of rotation

- Estimate: By what angle do you think the shape was rotated?
- Which direction was it rotated?

$135^{\circ}$


## Now you try to draw one!

Counterclockwise rotation of $40^{\circ}$ around point $P$

## What about rotations in the coordinate plane?

Challenge: ROTATE the shape $90^{\circ}$
Challenge: ROTATE the shape $90^{\circ}$ clockwise around the origin.


|  |
| :--- |
| Rotations Video (2 min) |
| $\qquad \frac{\text { https://www.youtube.com/watch?v=1sxmI4YıK }}{3 \mathrm{~s}}$ |
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Homework
-p. 851 (1-16)
+Reflections Review WS

