## Created by Ms. Poe

Warmup $2 /(10 \div 2 \cdot 2+6 \div 2)$

## - NEED:

- Protractor
- One piece of patty paper
(Week 6!)
Draw a capital "P" like so:


D Draw what the P would look like rotated $90^{\circ}$ clockwise.
2) Draw what the $P$ would look like rotated $180^{\circ}$ clockwise.
3) Draw what the $P$ would look like rotated $270^{\circ}$ clockwise.
4) Draw what the $P$ would look if you reflected it using a vertical line of reflection.
5) Draw what the $\mathbf{P}$ would look if you reflected it using a horizontal line of reflection.
6) (Challenge) Draw what the P would look if you reflected it using a diagonal line of reflection.



## More transformation problems...

## ON GRAPH 1

- A triangle was translated 4 units up and 2 units left. The image is $\mathbf{A}^{\prime}(-2,7) B^{\prime}(-1,9) C^{\prime}(1,7)$. Draw the original triangle $\mathbf{A B C}$.
- In reverse: 2 right and 4 down


## ALSO ON GRAPH 1

- A quadrilateral was reflected across the x-axis. The image is $D^{\prime}(-8,5) E^{\prime}(-8,7) F^{\prime}(-6,7) G^{\prime}(-4,3)$. Draw the original quadrilateral DEFG.
- In reverse: reflect back across the x-axis


Counterclockwise and clockwise...

ON GRAPH 2

- A triangle was rotated $90^{\circ}$ clockwise. The image is $A^{\prime}(2,5) B^{\prime}(2,9) C^{\prime}(4,5)$. Draw the original triangle $A B C$.
- In reverse: $90^{\circ}$ counterclockwise


## ON GRAPH 3

- A triangle was rotated $270^{\circ}$ counterclockwise. The image is $D^{\prime}(5,-7) E^{\prime}(6,-4) F^{\prime}(7,-7)$. Draw the original triangle DEF.
- In reverse: $\mathbf{2 7 0}{ }^{\circ}$ clockwise
- It's very easy to mix these up if you're not careful.


## oPICTURE A CLOCK!!!

## More transformation problems...




## More transformation problems...

ON GRAPH 6

- A trapezoid was translated 5 units down, then reflected across the $x$-axis and then rotated $270^{\circ}$ clockwise. The image is $A^{\prime}(1,6) B^{\prime}(1,1)$ $C^{\prime}(3,1) D^{\prime}(3,4)$. Draw the original trapezoid $A B C D$.
- In reverse: rotate $270^{\circ}$ counterclockwise, then reflect across the $x$-axis, then translate 5 units up.

In reverse:

- rotate $270^{\circ}$
counterclockwise
- then reflect across the x -axis
- then translate 5 units up.

A trapezoid was translated 5 units down, then reflected across the $x$-axis and then rotated $270^{\circ}$ clockwise.


## HOMEWORK:

- Worksheet - Reverse transformations and Finding your own sequences of transformations

