## Warmup 2/(\# of eggs in a baker's dozen)

********Before starting the warmup, get:
$\square$ A graphing sheet (either type)
$\square$ Marker \& eraser
Put the values in order from least to greatest. Show at least a little work for each value
A: $\sqrt{50}$
B. $\sqrt[3]{50}$
C. $\sqrt[4]{50}$
D. $\frac{3000}{1000}$
E. $83-79$

Turn in Angle Challenge

## ON THE BACK OF YOUR GRAPHING

 SHEET:1. Draw a capital "R".
2. Draw the "R" after a "slide".
3. Draw the "R" after a "flip".
4. Draw the "R" after a "turn".
5. If you know them, write down the official mathematical vocab words for "slide", "flip" and "turn".

## Next 2 Weeks: Transformations

$\square$ Today: Intro + Translations
$\square$ Friday: Reflections
$\square$ Monday/Tuesday: Rotations
$\square$ Wednesday: Transformations without a Graph
$\square$ 3-4 days of further review, then a Quiz

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## Transformations

## Objectives:

$\square$ Tell the difference between a translation, reflection, and rotation
$\square$ Perform a translation on the coordinate plane
$\square$ Understand coordinate notation of a translation
$\square$ Transformation - changes a geometric figure in some way
$\square$ Preimage - The original figure
$\square$ Image - The figure after the transformation


## Prime notation is used to show a transformation.



3 common types of transformations (copy the "R"s too)
$\square$ Translation - A "slide"
$\square$ Reflection - A "flip"

$$
\begin{aligned}
& R-R \\
& R-g
\end{aligned}
$$

$\square$ Rotation - A "turn"


## Which transformation is it?



Reflection

## Which transformation is it?



## Which transformation is it?



## Which transformation is it?



Reflection

## Which transformation is it?



Translation

## Which transformation is it?



Rotation

## Which transformation is it?



Reflection

## Which transformation is it?



Could be translation OR reflection

## Which transformation is it?



Reflection

## Which transformation is it?



2 steps: Reflection AND translation

## Which transformation is it?



Could be translation, reflection, OR rotation!

## Which transformation is it?



Reflection (look at the letters!)

## Which transformation is it?



Rotation

## Which transformation is it?



Translation

## Which transformation is it?



Dilation (you won't do these much
until next year)
$\square$ The last transformation was the only one in which the image was a different size or shape from the original figure.
$\square$ In this section, we are going to focus ONLY on transformations that keep the figure the same size and shape.
$\square$ These are sometimes called "rigid transformations"

## On your graphing sheet...

$\square$ Draw a Triangle with coordinates $\mathrm{T}(-5,5) \mathrm{R}(-5,7)$ and $\mathrm{Y}(-8,5)$
$\square$ We are going to translate the triangle six units to the right. What do you think would be a good strategy for this?
$\square$ Your new coordinates should be:
T'(1, 5); R'(1, 7); Y'(-2, 5)

## Original Triangle:

A (1, 1), B (1, 5), C (3, 1)
$\square$ Draw a triangle with coordinates
A ( 1,1 ), B ( 1,5 ), C $(3,1)$
$\square$ Translate the triangle three units left and seven units down. Don't forget to label the vertices of your image!
$\square$ New coordinates should be: $\mathbf{A}^{\prime}(-2,-6)$; $\mathbf{B}^{\prime}(-2,-2)$; C( $0,-6$ )

## Translation Strategy

$\square$ Just move every vertex of the figure the correct number of spaces!

## On your graphing sheet...

$\square$ Draw a trapezoid with vertices $\mathrm{L}(2,-7)$; I(3, -5); S(6, -5); C(7, -7)
$\square$ Translate the trapezoid four units left and one unit up. Label your new coordinates.
$\square$ Your new coordinates should be:
$L^{\prime}(-2,-6) ; l^{\prime}(-1,-4) ; S^{\prime}(2,-4) ; C^{\prime}(3,-6)$

## Coordinate Notation

$\square$ Translations are sometimes described using coordinate notation. (The textbook calls it "translation notation")
$\square$ EXAMPLE: $(x+4, y-2)$ means to add four to all the $x-$ coordinates and subtract two to all the y-coordinates.
$\square$ Talk to your trio: what do you think would happen???
$\square$ Graph a point $\mathbf{A}(5,3)$.
$\square$ Add four to the $x$-coordinate and subtract two from the $y$ coordinate. What are your new coordinates?
$\square$ Graph this new point. Where did it end up? Which direction did it move?

## Coordiante Notation

$\square$ ( $x+$ number $)$ : moves right
$\square$ ( $x$ - number): moves left
$\square$ (y + number): moves up
$\square$ (y - number): moves down
$\square$ Coordinate (Translation) Notation Examples:
$\square(x-3, y+8)$ would move a figure 3 units left and 8 units up.
$\square(x+7, y)$ would move a figure 7 units right, but not up or down.

## What was the translation?


$\square$ What was the translation? Write it in coordinate notation.
$\square(x+6, y-3)$

## What was the translation?


$\square$ What was the translation? Write it in coordinate notation.
$\square(x, y+4)$

## Homework

$\square$ p. $457(1-7,9)$ (This is from volume 2!!!)

