Created by Mr. Lischwe
Warmup
$$1/(8^5 \cdot 8^{-4}) + (\frac{3^{10}}{3^8})$$

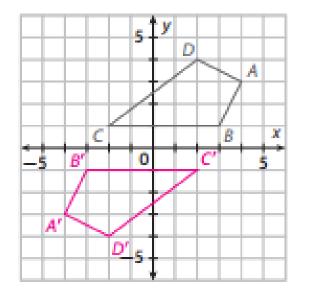
****Don't forget to do the reflection!!!****

1–	2÷	3—	3
			5+
5+	1–	12×	

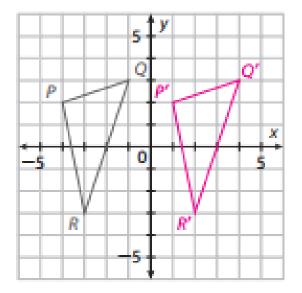
******Please get:

- Graphing Sheet
- Marker & Eraser
- 1 sheet of tracing paper (on the supply table)

1. $(x, y) \rightarrow (-x, -y)$



2.
$$(x, y) \rightarrow (x + 5, y)$$

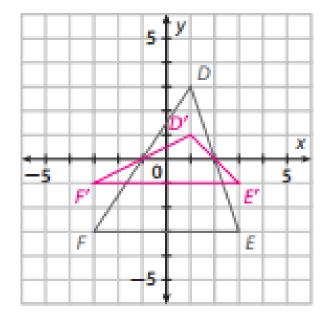


 $A(4,3) \rightarrow A'(-4,-3) = A'(-4,-3)$ $B(3,1) \rightarrow B'(-3,-1) = B'(-3,-1)$ $C(-2,1) \rightarrow C'(-(-2),-1) = C'(2,-1)$ $D(2,4) \rightarrow D'(-2,-4) = D'(-2,-4)$ rotation of 180° around the origin

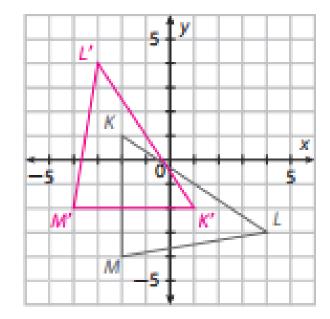
 $P(-4,2) \rightarrow P'(-4+5,2) = P'(1,2)$ $Q(-1, 3) \rightarrow Q'(-1 + 5, 3) = Q'(4, 3)$ $R(-3, -3) \rightarrow R'(-3+5, -3) = R'(2, -3)$

translation 5 units right

3.
$$(x,y) \rightarrow \left(x,\frac{1}{3}y\right)$$



4.
$$(x,y) \rightarrow (y,x)$$



 $D(1,3) \rightarrow D'(1,\frac{1}{3}\cdot 3) = D'(1,1) \quad K(-2,1) \rightarrow K'(1,-2)$ $F(-3,-3) \rightarrow F'\left(-3,\frac{1}{3}\cdot -3\right) = F'(-3,-1)$ vertical compression by a factor of $\frac{1}{2}$

 $M(-2,-4) \rightarrow M'(-4,-2)$ reflection across the line y = x

$$\begin{array}{rcl} A(-4,4) & \rightarrow & A'(4,4) \\ B(-1,2) & \rightarrow & B'(2,1) \\ C(-4,1) & \rightarrow & C'(1,4) \end{array}$$

$(x, y) \rightarrow (y, -x)$; rotation of 90° clockwise around the origin			
$AB = A'B' = \sqrt{13}$	$m \angle A = m \angle A' = 56^{\circ}$		
$BC = B'C' = \sqrt{10}$	$m \angle B = m \angle B' = 52^{\circ}$		
AC = A'C' = 3	$m \angle C = m \angle C' = 72^{\circ}$		

The transformation preserves length and angle measure.

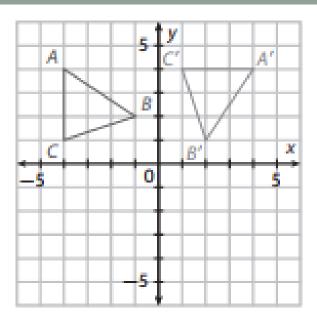
6. Preimage Image

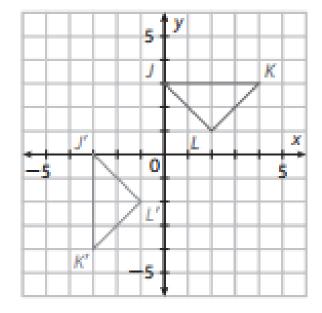
$$J(0, 3) \rightarrow J'(-3, 0)$$

 $K(4, 3) \rightarrow K'(-3, -4)$
 $L(2, 1) \rightarrow L'(-1, -2)$

$$\begin{array}{ll} (x,y) \rightarrow (-y,-x); \text{ reflection across the line } y=-x \\ JK=J'K'=4 & m \angle J=m \angle J'=45^{\circ} \\ KL=K'L'=\sqrt{8} & m \angle K=m \angle K'=45^{\circ} \\ JL=J'L'=\sqrt{8} & m \angle L=m \angle L'=90^{\circ} \end{array}$$

The transformation preserves length and angle measure.





- Use the points A(2, 3) and B(2, -3).
 - Describe segment AB and find its length.
 Segment AB is a vertical segment that is 6 units long.
 - **b.** Describe the image of segment AB under the transformation $(x, y) \rightarrow (x, 2y)$. $A(2, 3) \rightarrow A'(2, 2 \cdot 3) = A'(2, 6)$ $B(2, -3) \rightarrow B'(2, 2 \cdot (-3)) = B'(2, -6)$

The image of segment AB is a vertical segment that is 12 units long.

c. Describe the image of segment AB under the transformation $(x, y) \rightarrow (x + 2, y)$. $A(2, 3) \rightarrow A'(2 + 2, 3) = A'(4, 3)$

$$B(2, -3) \rightarrow B'(2+2, -3) = B'(4, -3)$$

The image of segment AB is a vertical segment two units to the right of the original segment that is 6 units long.

d. Compare the two transformations.

Possible answer: $(x, y) \rightarrow (x + 2, y)$ is rigid, because it does not change the length of the segment. $(x, y) \rightarrow (x, 2y)$ is not rigid because it doubles the length of the segment. The segment remains vertical under both transformations.

Return of the Quizzes

Objective

Identify and draw translations.

WHAT IS A TRANSLATION?

What kind of Translation is this?

$$(x, y) \rightarrow (x + 5, y) \qquad 5 \text{ units right}$$

$$(x, y) \rightarrow (x - 3, y) \qquad 3 \text{ units left}$$

$$(x, y) \rightarrow (x, y + 2) \qquad 2 \text{ units up}$$

$$(x, y) \rightarrow (x, y - 4) \qquad 4 \text{ units down}$$

$$(x, y) \rightarrow (x - 6, y + 8) \qquad 6 \text{ units left, 8 units up}$$

Patty Paper Time!

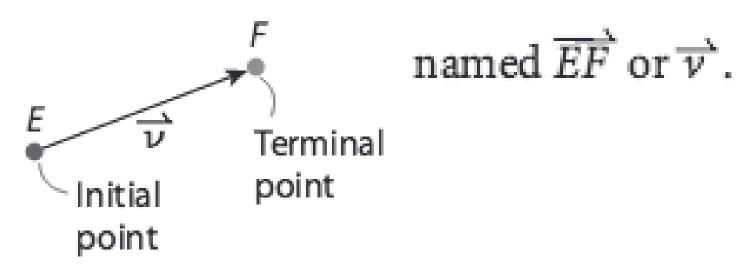
- Draw a triangle that is smaller than a fourth of the size of the patty paper on your blank piece of paper. Label the vertices of the triangle.
- Copy the triangle onto the patty paper.
- Using your patty paper, translate your triangle to somewhere else on your paper. Label your new points with prime marks.

Patty Paper Time!

- Using your ruler, connect the preimage vertices to the image vertices.
- Measure each of these segments.
- What do you notice?
- Are these segments parallel, perpendicular, or neither?

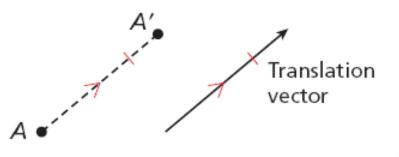
These segments are... pg. 834 Vectors!

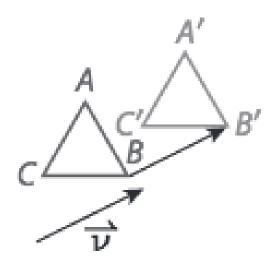
- A quantity that has both direction and magnitude.
- The initial point of a vector is the starting point.
- The terminal point is the ending point.



Translations

A translation is a transformation along a vector such that each segment joining a point and its image has the same length as the vector and is parallel to the vector.





Vector Video

https://www.youtube.com/watch?v=A05n32BI0aY

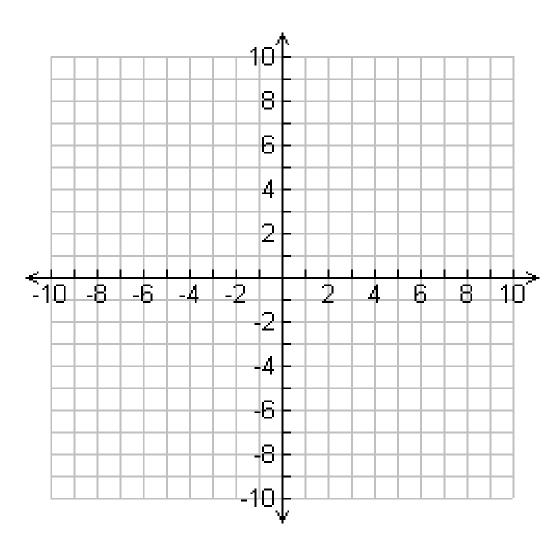
pg. 836

A vector in the coordinate plane can be written as <*a*, *b*>, where *a* is the horizontal change and *b* is the vertical change from the initial point to the terminal point.

How does this connect to the Pythagorean Theorem?

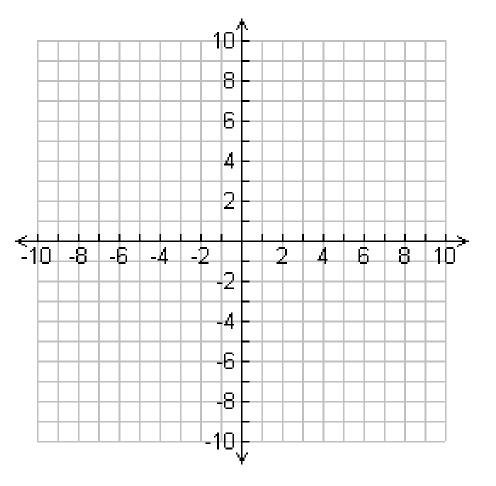
Try It Out!

- Draw a Triangle with coordinates T (5, 5) R (5, 7) and Y (8, 5)
- Use the Vector
 < -6, -6 > to
 translate the
 triangle



Try It Out!

- Draw a Triangle with coordinates
 B (1, 1) O (3, 2) and L (5, 1)
- Use the Vector
 - < 3, -4 > to translate the triangle



What would the vector be? $(x, y) \rightarrow (x + 5, y)$ < 5, 0 > < -3, 0 > $(x, y) \rightarrow (x - 3, y)$ $(x, y) \rightarrow (x, y + 2) < 0, 2 >$ $(x, y) \rightarrow (x, y-4) < 0, -4 >$ $(x, y) \rightarrow (x - 6, y + 8) < -6.8 >$

HOMEWORK

pg. 839 (1-10)